# Structure Determination of the Bacteriophage $\varphi \mathbf{X} 174$ 

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(Received 26 November 1991; accepted 28 January 1992)


#### Abstract

The structure of the single-stranded DNA phage $\varphi \mathrm{X} 174$ has been determined to $3.4 \AA$ resolution. The crystal space group was $P 2_{1}$ with one icosahedral particle per asymmetric unit, giving 60 -fold noncrystallographic redundancy. Oscillation diffraction photographs were collected using synchrotron radiation at various wavelengths. The particle orientations in the unit cell were determined with a rotation function. Because cowpea mosaic virus has a similar external envelope to $\varphi$ X174, it was used as a search model to find the approximate positions of the $\varphi \mathrm{X} 174$ particles in the unit cell relative to the crystallographic symmetry axes. An initial phase set to $12 \AA$ resolution was then based on the cowpea mosaic virus atomic structure. These phases were improved by 20 cycles of real-space molecular replacement averaging. The phase information was gradually extended to $3.4 \AA$ resolution by molecular replacement electron density averaging. One reciprocal lattice point was used for each extension followed by four cycles of averaging. The unusual particle capsid, with its 12 pentameric spikes, required the careful determination of a precise molecular envelope. This was redetermined at regular intervals, as was the particle center. The resultant electron density map was readily interpreted in terms of the F, G and J polypeptides in the capsid. A difference electron denisty map between full and partially empty particles showed some ordered DNA structure.


## Introduction

The bacteriophage $\varphi$ X174 is an icosahedral ssDNA virus which used $E$. coli as its host. The circular ssDNA contains 5386 nucleotide bases (Sanger, Air, Barrell, Brown, Coulson, Fiddes, Hutchison, Slocombe \& Smith, 1977). The genome encodes 11 genes [see Hayashi, Aoyama, Richardson \& Hayashi (1988) for a review]. The capsids of the mature phages consist of four proteins J, F, G and H with molecular weights of $4200,48400,19050$ and 34400 daltons, respectively. There are 60 copies of the

[^0]0108-7681/92/040499-13\$06.00
proteins J, F and G as well as 12 copies of the protein H in the virion (Burgess, 1969; Edgell, Hutchison \& Sinsheimer, 1969; Siden \& Hayashi, 1974). The particle has a molecular weight of $6.2 \times$ $10^{6}$ and a sedimentation coefficient of 114 S (Sinsheimer, 1959). Electron microscopy studies (Bayer \& Starkey, 1972) suggested that the particles have capsid diameter of around $270 \AA$ with 12 protruding spikes. The spikes consist of proteins $G$ and H , project from the capsid surface (Edgell et al., 1969) and have the ability to recognize the host receptor (Brown, MacKenzie \& Bayer, 1971; Incardona \& Selvidge, 1973; Jazwinski, Linberg \& Kornberg, 1975; Feige \& Stirm, 1976).

Monoclinic crystals of the 114S full particles and of the isomorphous 70S partially empty particles were reported earlier (Willingmann, Krishnaswamy, McKenna, Smith, Olson, Rossmann, Stow \& Incardona, 1990). Here we report the structure determination of these crystals, the first using a newly developed molecular averaging program (Rossmann, McKenna, Tong, Xia, Dai, Wu, Choi \& Lynch, 1992), while the structure and its biological implications have been described earlier (McKenna, Xia, Willingmann, Ilag, Krishnaswamy, Rossmann, Olson, Baker \& Incardona, 1992).

## Crystal preparation and X-ray diffraction data collection

E. coli were infected at 310 K according to a standard protocol (Incardona, Tuech \& Murti, 1985) and purified as described by Willingmann et al. (1990). The final purification step was centrifugation of the virus in a $5-30 \%(w / v)$ sucrose gradient for 4 h at $28000 \mathrm{rev}^{\mathrm{min}}{ }^{-1}$ at 277 K in an SW28 rotor. The virus separated into two bands with an $A_{260} / A_{280}$ ratio of 1.55 for the faster (114S particles) and 1.25 for the slower ( 70 S paiticles). The 70S particles had a heterogeneous population of DNA fragments representing about $20 \%$ of the complete genomic sequence (Sinsheimer, 1959; Eigner, Stouthamer, van der Sluys \& Cohen, 1963). The optimal crystallization conditions for both types of particles was $1.5-2.0 \%(w / v)$ PEG 8000 , in 90 mM bis-tris methane buffer at pH 6.8 in the reservoir, over which was suspended a hanging drop of $5 \mu$ of virus

[^1]Table 1. $X$-ray diffraction data collection


Notes: (a) Refers to data from both 70 S and 114 S particles. (b) Refers to data collected from crystals of 70 S particles. (c) Refers to data collected from crystals of 114 S particles. (d) $\mathrm{K}_{2} \mathrm{PtCl}_{4}, \mathrm{KAu}(\mathrm{CN})_{2}$ and $\mathrm{K}_{2} \mathrm{OsCl}_{6}$ refer to data from crystals soaked in 10 mM solutions of these compounds. (e) $R=$ [ $\left.\sum_{h} \sum_{i},\left(F_{h}{ }^{2} \quad F_{h}{ }^{2}\right) \sum_{h} \sum_{i} F_{h}{ }^{2}\right] \times 100$ where $F_{h}{ }^{2}$ is the mean intensity of the $i$ observations $F_{h}$.

Table 2. Variation of cell dimensions and $R$ factors of data collected at various synchrotron sources
$J a, \Delta b$ and $A c$ are the cell-dimension changes found during post-refinement. $\lambda$ (used) is the wavelength used during processing and post-refinement. $\lambda$ (corrected) is $\lambda$ (used) after correction for the systematic change in cell dimensions found during post-refinement. $\left.R_{\text {ymm }}=\left[\sum_{h} \sum_{i},\left(\left\langle I_{h}\right\rangle \cdot I_{h}\right)\right\rangle \sum_{h} \sum_{h}\left\langle I_{h}\right\rangle\right] \times 100$ where $\left\langle I_{h}\right\rangle$ is the mean of the $I_{h_{i}}$ symmetry-related observations for reflection $h$ on a given film.

| Synchrotron | No. of films | $\Delta a(\AA)$ | $\Delta b(\AA)$ | $\Delta c \cdot(\AA)$ | $\Delta \beta$ () | $\lambda$ (used) | $\lambda$ (corrected) | $R_{\text {vym }}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| DESY. Sept. 1988 | 6 | 0.10 | - 0.19 | -0.16 | 0.01 | 1.4607 | 1.4613 | 12.5 |
| Brookhaven. Nov. 1988 | 20 | $+0.31$ | +0.23 | -0.23 | 0.00 | 1.2174 | 1.2183 | 11.4 |
| Brookhaven, Dec. 1988 | 3 | $+0.07$ | -0.09 | -0.03 | 0.02 | 1.2176 | 1.2176 | 16.9 |
| Daresbury, Mar. 1989 | 17 | 10.16 | 0.01 | - 0.01 | 0.00 | 0.9110 | 0.9112 | 8.4 |
| Brookhaven, Apr. 1989 | 14 | $+0.43$ | $+0.36$ | $+0.47$ | - 0.01 | 1.2174 | 1.2190 | 14.0 |
| Brookhaven, June 1989 | 111 | 0.06 | -0.23 | 0.18 | 0.00 | 1.1060 | 1.1054 | 10.4 |
| CIIESS (Al). Nov. 1989 | 28 | 0.31 | -0.40 | 0.47 | 0.00 | 1.5633 | 1.5614 | 5.8 |
| CHESS (A1). Jan. 1990 | 20 | -0.19 | 0.51 | 0.36 | 0.00 | 1.5633 | 1.5616 | 8.9 |
| CHESS (Al). Mar 1990 | 12 | -0.23 | 0.33 | -0.21 | 0.01 | 1.5633 | 1.5620 | 10.8 |
| CHESS (Al). May 1990 | 68 | - 0.57 | +0.56 | +0.46 | 0.00 | 1.5658 | 1.5683 | 8.8 |
|  | Total $=299$ | a-305.58 | $h=360.78$ | c-299.46 | $\beta-92.89$ |  |  |  |

solution ( $40 \mu \mathrm{~g}$ of virus) and $5 \mu \mathrm{l}$ reservoir solution (Willingmann et al, 1990). Crystals up to 0.5 mm in width formed after 4 weeks and were shown to be isomorphous for the two particle types. The monoclinic $P 2_{1}$ cell dimensions were found to be $a=305.6$, $b=360.8, c=299.5 \AA$ and $\beta=92.89$ (Willingmann et al., 1990). The Matthews coefficient, $V_{M}$ (Mathews, 1968), was $2.7 \AA^{3}$ per dalton for two particles per unit cell. Thus, there was one virion per asymmetric unit and the noncrystallographic redundancy was 60 -fold.

Data were collected by oscillation photography primarily at the Cornell High-Energy Synchrotron Source (CHESS) at Cornell University and the National Synchrotron Light Source (NSLS) at Brookhaven, although some data were collected at the Deutches Elektronen Synchrotron (DESY) at Hamburg and the Science and Engineering Research Council (SERC) at Daresbury. The crystals were cooled to 277 K and diffracted to at least $2.6 \AA$ resolution in exposures lasting approximately 2 min using a 0.4 oscillation angle. Between 4 and 10 photographs could be taken per crystal, dependent
on crystal size and wavelength. No serious attempt was made to align the crystals optically and no 'setting photographs' were taken (Rossmann \& Erickson, 1983) in order to avoid radiation damage prior to data collection. Among the 299 films used in the final native data set (Table 1), 32 were collected with a 300 mm crystal-to film distance (together with a helium path) in order to collect good-quality lowresolution data ( $150-8 \AA$ resolution). For these it was found that a 3 oscillation angle could be used with no spot overlap. These data aided film scaling and provided a nearly complete low-resolution data set.
The films were initially indexed using an autoindexing procedure (Kim, 1989). These were then processed (Rossmann, 1979), scaled together and post-refined (Winkler, Schutt \& Harrison, 1979; Rossmann, Leslie, Abdel-Meguid \& Tsukihara, 1979) to give $70 \%$ of all possible reflections to $3.0 \AA$ resolution. Where there were partial reflections from sequentially abutting films of the same crystal, these were added to determine the full intensity. Reflections which had a partiality greater than 0.6 and for
which there were no abutting film data were also included, after adjustment by their calculated partiality (Table 1). Eventually, data from all X-ray sources, using crystals of both the full 114S and the partially empty 70S particles, were combined for the initial structure determination to maximize the number of observed structure factors ( $F_{\text {obs }}$ ). Since post-refinement is independent of crystal-to-film distance, the relative X-ray wavelength used at each synchrotron could be adjusted to give the same cell dimensions from each source. The absolute cell dimensions were calibrated using human rhinovirus crystals whose cell dimensions had been determined originally from data collected with $\mathrm{Cu} K \alpha$ radiation (Rossmann, Arnold, Erickson, Frankenberger, Griffith, Hecht, Johnson, Kamer, Luo, Mosser, Rueckert, Sherry \& Vriend, 1985). Table 2 shows the final variation of cell dimensions and $R$ factors obtained in post-refinement of all films collected at different synchrotrons. In general, the sign and proportion of the cell dimensional changes for a particu-
lar synchrotron source are much the same for $a, b$ and $c$, while $\beta$ stays essentially constant. This is consistent with an assumption of a slightly erroneous wavelength during film processing and shows that the relative error in cell dimension is unlikely to be larger than 6 parts in 10000 . The $R$ factor shows that the best data were collected at CHESS and Daresbury.

## Particle orientation and position

The orientations of the $\varphi \mathrm{X} 174$ virus particles in the unit cell were determined with a self-rotation function (Rossmann \& Blow, 1962). The initial calculations used $15-7 \AA$ resolution data from a data set that contained only $20 \%$ of the observable structure factors. About $10 \%$ of the large terms were used to represent the second Patterson (Tollin \& Rossmann, 1966). The radius of integration was set at $140 \AA$ and the interpolation grid around each rotated nonintegral reciprocal lattice point was $3 \times 3 \times 3$. The


Fig. 1. Stereographic projections showing: (a) Rotation function for $\kappa=72$ using the complete data set in the $15-7 \AA$ resolution range. (b) Interpretation of the complete rotation function. Great circles pass through the twofold axes for each particle. One particle is represented by continuous lines, the other by dashed lines. (c) Definition of the standard icosahedral orientation. Only the twofold axes are shown. Three mutually perpendicular twofold axes are parallel to $a^{*}, b$ and $c$.
function was explored in spherical polar coordinates in $2^{\circ}$ intervals. The search for twofold ( $\kappa=180^{\circ}$ ), threefold ( $\kappa=120^{\circ}$ ) and fivefold ( $\kappa=72$ and $144^{\circ}$ ) axes established that the virion possesses icosahedral symmetry. The orientation was later refined using the complete data set (Fig. 1) and also by calculating a locked rotation function (Tong \& Rossmann, 1990) at $3.5 \AA$ resolution. The observed positions of the icosahedral symmetry axes had an angular r.m.s. deviation of $0.15^{\circ}$ from that of an ideal icosahedron, corresponding to a distance of $0.3 \AA$ at a radius of $130 \AA$ (Rao \& Rossmann, 1973).

It is useful to define two types of unit cells in order to give a description of the determination and refinement of the particle position and the determination of a molecular envelope (Rossman et al., 1992). The ' $p$-cell' is the unit cell of the unknown crystal structure with the oblique coordinate system $\mathbf{y}$, which is orthogonalized to the Cartesian coordinate system Y (Rossmann \& Blow, 1962); in this case it is the monoclinic $P 2_{1}$ cell of $\varphi \mathrm{X} 174$. The ' $h$-cell' is the unit cell that contains a single particle in the standard orientation (Fig. 1c) and has a Cartesian coordinate system $\mathbf{X}$. The matrix $[P]$ defines the rotational relationship between the structures within the two cells (Rossman et al., 1992) such that

$$
\mathbf{X}=[P] \mathbf{Y} .
$$

The rotation function showed that

$$
[P]=\left(\begin{array}{rrr}
0.9899 & -0.1362 & -0.0403 \\
0.1290 & 0.9809 & -0.1454 \\
0.0593 & 0.1388 & 0.9885
\end{array}\right)
$$

which corresponds to a rotation of $11.56^{\circ}$ about an axis whose direction cosines are $(0.709,0.243,0.658)$.

Packing considerations provided a rough position of the virions in the crystal unit cell. The maximum
particle separation within the $P 2_{1}$ unit cell occurs when they are placed at $\left(\frac{1}{4}, y, \frac{1}{4}\right)$ and $\left(-\frac{1}{4}, \frac{1}{2}+y,-\frac{1}{4}\right)$. This implies that the virus would have a diameter of about $285 \AA$.
The initial goal had been to phase the crystal data of $\varphi$ X174 using phases obtained from a frozen hydrated electron microscopy reconstructed image (Olson, Baker, Willingmann \& Incardona, 1992) (Fig. 2). The low-resolution EM reconstructed image was placed into the $h$-cell and used to calculate structure factors to $25 \AA$ resolution. These were used to calculate a cross-rotation function between the $p$-cell and the electron microscopy image in the $h$-cell. The function showed excellent correspondence between the X-ray and EM data (Fig. 3). The $h$-cell structure factors were then also used to calculate $R$-factor translation searches based on a knowledge of the particle orientations in the $p$-cell (Rossmann, 1972). Several minima, with $R$ factors around $50 \%$, could be observed in a ring around $\left(\frac{1}{4}, y, \frac{1}{4}\right)$ at a distance of 3 to $5 \AA$ (Fig. 4). Structure factors were derived from the EM image with respect to various minima, but they failed to give successful phase extension on using real-space molecular averaging (Rossmann, 1990).

We are grateful for the observation by John E. Johnson that the overall external shape, appearance and size of the EM reconstruction of $\varphi$ X174 were rather similar to those of cowpea mosaic virus (CpMV) (Fig. 2) (Olson et al., 1992). CpMV was oriented in the $h$-cell into the standard orientation, permitting the calculation of structure factors from the known atomic coordinates (Stauffacher, Usha, Harrington, Schmidt, Hosur \& Johnson, 1987; Chen, Stauffacher \& Johnson, 1990) to $12 \AA$ resolution. In contrast, structure factors derived from $\varphi$ X174 EM data had essentially zero amplitudes beyond $25 \AA$


Fig. 2. Shaded surface representations of three-dimensional reconstructions of $\varphi \mathrm{X} 174$ (left) and CpMV (right) calculated from particle images recorded in the electron microscope. Unstained virus samples were frozen in a layer of vitreous ice and images were recorded under minimal electron dose conditions $\left(\sim 20 \mathrm{e} \AA^{-2}\right)$. 25 ( $\varphi$ X174) and 17 (CpMV) particle images were selected, their centers of density (origins) and orientation positions in the layer of ice were determined, and reconstructions were calculated to 21 and $33 \AA$, respectively [see Olson et al. (1992) and Wang, Porta, Chen, Baker \& Johnson (1992) for details on procedures]. Surface representations are viewed down the icosahedral twofold axis.
resolution. Using the CpMV structure factors, a search at $0.5 \AA$ intervals with a radius of integration of $180 \AA$ (Argos \& Rossmann, 1980) and an interpolation grid of $3 \times 3 \times 3$ gave a slight minimum at ( $0.2440, y, 0.2480$ ) with an $R$ factor of $57.3 \%$ (Fig. $5 a$ ). This differed by at least $2 \AA$ from any of the previous particle positions which had been tried with the EM data and led to a successful structure solution.

It was subsequently found that the atomic structures of $\varphi \mathrm{X} 174$ and CpMV differed greatly. The small protein of CpMV corresponds very roughly to the G protein spikes of $\varphi \mathrm{X} 174$, giving both CpMV and $\varphi$ X174 an appearance of having 12 spikes (Fig. 2). However, there is an approximate $11 \AA$ radial shift inwards of the G protein for it to correspond roughly to CpMV when the icosahedral axes of the two viruses are superimposed. The structure of the large protein, consisting of two $\beta$-barrels in CpMV (Stauffacher et al., 1987), is very different to the structure of the F protein in $\varphi \mathrm{X} 174$ which has only


Fig. 3. The cross-rotation function between the structure amplitudes corresponding to the EM image reconstruction and singlecrystal data of $\varphi$ X174. A selected two-, three- and fivefold axis of the EM image was superimposed on a corresponding two-three- and fivefold rotation axis of a particle in the crystal unit cell. The EM image was then rotated in 2 intervals about the common superimposed axes. Data were selected between 50 and $25 \AA$ resolution. The rotation function was calculated from the Fourier amplitudes representing the EM image and the observed X-ray data.
one $\beta$-barrel with two large insertions (McKenna et al., 1992).

## Phase extension by molecular replacement to $5.6 \AA$ resolution

Phases were generated in the $30-12 \AA$ resolution range using the CpMV model given the known orientations and particle centers in the $\varphi \mathrm{X} 174$ unit cell. Phase improvement, using 20 cycles of icosahedral averaging and solvent flattening at $12 \AA$ resolution, followed the procedure described by Rossmann (1990) and Rossmann et al. (1992) (Fig. 6). Calculated structure factors ( $F_{\text {calc }}$ ) were not used to supplement the $10 \%$ missing data of the observed structure factors ( $F_{\text {obs }}$ ), nor were structure amplitudes weighted in calculating electron density maps because of the poor quality of the correlation coefficients. A spherical envelope was defined by an outer radius of $165.0 \AA$ and an inner radius of $80.0 \AA$. Where there was overlap between particles, a tangential plane was used to separate them. Any density within a radius of $80 \AA$ was set to the mean nucleic acid value; any density outside $165 \AA$ was set to the mean solvent value. The mean correlation coefficient improved from an initial value of 0.06 to 0.54 (Fig. 7).

A further check was then conducted on the particle position. The $p$-cell electron density was averaged and skewed to generate a single particle in the $h$-cell. This density was back-transformed to give structure factors for calculating a new $R$-factor translation search. This yielded a very well defined minimum at $0.2520, y, 0.2500$, with an $R$ factor of $42.3 \%$ (Fig. 5b) and represented a shift of $2.5 \AA$ from the initial starting center found by using the CpMV


Fig. 4. The $R$-factor (\%) search, around ( $\frac{1}{4}, y, \frac{1}{4}$ ), for the particle position using the correctly oriented EM model of $\varphi \mathrm{X} 174$ with $50-25 \AA$ resolution data.


Fig. 5. (a) $R$-factor translation search using the CpMV model with 30-12 $\AA$ resolution data. (b) $R$-factor search using a model obtained after 20 cycles of real-space averaging with $30-12 \AA$ resolution data. (c) $R$-factor search using a model obtained after 40 cycles of real-space averaging and phase extension to $11 \AA$ resolution.
model (Fig. 5a). After 20 cycles using this new center, the mean correlation coefficient had increased from 0.59 to 0.69 . Phase extension now proceeded by one reciprocal lattice unit at a time to $11 \AA$ resolution, with four cycles at each extension step. At this point a further attempt was made to refine the particle position using a newly derived averaged $h$-cell density as a search model. A slight positional shift of $0.5 \AA$ to $0.2505, y, 0.2505$ was obtained and the overall $R$ factor was $29.2 \%$ (Fig. $5 c$ ). No further change in particle position was detected as phase extension proceeded to higher resolution (Fig. 7).

## Confirmation of molecular replacement phase determination using isomorphous replacement

Partial heavy-atom data sets had been collected (Table 1) because it had not been possible to obtain a successful starting position or phasing model from the EM data. Although the eventual structural solution was independent of any heavy-atom information, the data were used to confirm the correctness of phasing when the extension had attained $8.8 \AA$ resolution.


Fig. 6. Scheme for molecular replacement real-space averaging for phase improvement and extension.

Heavy-atom derivatives were prepared by soaking native crystals of 70S particles in a solution that consisted of 10 mM heavy-atom compound, $100 \mathrm{~m} M$ bis-tris buffer at pH 6.8 and $4 \%(w / v)$ of PEG 8000 . All soaking experiments were carried out at 277 K for periods ranging from 12 to 36 h . Over ten compounds inhibited crystal diffraction. The chosen compounds were selected on the basis of only mild crystal damage after more than 24 h . Partial data sets were collected of $\mathrm{K}_{2} \mathrm{PtCl}_{4}, \mathrm{KAu}(\mathrm{CN})_{2}$ and $\mathrm{K}_{2} \mathrm{OsCl}_{6}$. Native and heavy-atom data were scaled locally in 45 resolution ranges. The difference $R$ factors are shown in Fig. 8 and these gave reasonable correspondence to similar results for other viruses (Arnold \& Rossmann, 1986). Mean differences increase beyond about $4.5 \AA$ resolution, suggesting lack of isomorphism at higher resolution. The $\mathrm{K}_{2} \mathrm{PtCl}_{4}$ derivative data showed the largest differences. There was only a small amount of $\mathrm{K}_{2} \mathrm{OsCl}_{6}$ derivative data that had been collected and it showed roughly the same average differences as the more extensive $\mathrm{KAu}(\mathrm{CN})_{2}$ derivative data.

Electron density difference maps for all three compounds, with respect to the native data, using the phases extended to $8.8 \AA$ resolution showed significant negative peaks for the $\mathrm{K}_{2} \mathrm{PtCl}_{4}$ and $\mathrm{KAu}(\mathrm{CN})_{2}$ compounds (Fig. 9 and Table 3), but not for the $\mathrm{K}_{2} \mathrm{OsCl}_{6}$ compound. The negative peaks are reminiscent of those seen in the structure determination of the phage MS2 (Valegård, Liljas, Fridborg \& Unge, 1990) and canine parvovirus (Tsao, Chapman, Agbandje, Keller, Smith, Wu, Luo, Smith, Rossmann, Compans \& Parrish, 1991). Furthermore, difference maps calculated with various resolution


Fig. 7. Correlation coefficient for $\varphi$ X 174 for phase extensions from 12 to $3.4 \AA$ resolution. Correlation coefficients are defined as $\left\{\left[\sum\left(\left\langle F_{\text {obs }}\right\rangle-F_{\text {ons }}\right)\left(\left\langle F_{\text {calc }}\right\rangle-F_{\text {calc }}\right)\right] /\left[\sum\left(\left\langle F_{\text {obs }}\right\rangle-F_{\text {obs }}\right)^{2} \sum\left(\left\langle F_{\text {calc }}\right\rangle-\right.\right.\right.$ $\left.\left.\left.F_{\text {calc }}\right)^{2}\right]^{1 / 2}\right\}$.
data all showed negative peaks consistent with a single Babinet solution. Clearly, the opposite Babinet solution to the true structure had been obtained. In addition, the particle position could be verified by an analysis of the 60 equivalent heavy-atom sites in the difference electron density maps. Two different criteria were used, both dependent on averaging the difference electron density maps. The first criterion determined the particle position by maximizing the 'height' of the averaged icosahedrally equivalent negative 'peaks’ (Tsao, Chapman, Wu, Agbandje,


Fig. 8. Variation between heavy-atom derivative and native structure amplitudes as a function of resolution. The difference $R$ factors are defined as $\left[\Sigma\left(F_{\mathrm{PH}}-F_{\mathrm{P}}\right)^{i / \Sigma} \Sigma_{\mathrm{P}}\right] \times 100$ where $F_{\mathrm{PH}}$ and $F_{\mathrm{P}}$ are the derivatized and native structure amplitudes.


Fig. 9. Section $Z=95 \AA$ of the $\mathrm{K}_{2} \mathrm{PtCl}_{4}$ difference electron density map based on $8.8 \AA$ phases extended from a $12 \AA$ resolution CpMV model. The triangle represents one icosahedral asymmetric unit. Three peaks are shown. The peaks on the line between the five- and threefold axes are related by the icosahedral fivefold axes. The resultant two independent negative peaks indicate that the phase extension had produced phases with the wrong Babinet solution. Contours are at equal but arbitrary intervals. Symmetry axes of the icosahedron are shown symbolically.

Table 3. Heavy-atom sites in the structure of $\varphi \mathrm{X} 174$


Keller \& Rossmann, 1992). This corresponds to the center of gravity of the 60 independent equivalent difference peaks. The second criterion searched for the position which gave the least r.m.s. scatter of all the 60 noncrystallographically related grid points within the peak position. These tests were conducted with respect to maps computed with $8.8 \AA$ and, later, with $5.8 \AA$ resolution data. The results were scattered within a box of about $0.25 \times 0.25 \AA$, roughly centered around the site that had been found from phases extended to $11 \AA$ resolution (Fig. $5 c$ ). No further adjustment of the particle center was deemed appropriate. The heavy-atom data, thus, had been used to establish the Babinet solution and to confirm the particle position.

## Phase extension from 5.6 to $3.4 \AA$ resolution

At $5.6 \AA$ resolution the mean correlation coefficient was 0.86 , but further phase extension started to show deterioration in the higher-resolution ranges. It was reasoned that this might be attributed to the simple spherical mask which was causing solvent flattening of the interdigitated spikes in the crystal structure. Fig. 10 shows a typical section of $\varphi \mathrm{X} 174$ electron density in the $p$-cell at $3.4 \AA$ resolution. Superimposed on that density are the spherical and molecular masks used in averaging. It clearly shows that the simple spherical mask with tangential planes was inadequate in accounting for the convoluted shape of $\varphi \mathrm{X} 174$. The spherical mask used covered most of the $\varphi$ X174 particle but had to have such a large radius to account for the spikes that most of the solvent region was within the mask and, therefore, could not be used for solvent flattening. Therefore, a true molecular envelope was generated (Rossmann et al., 1992). This had the further advantage of reducing the number of grid points to be averaged by up to a factor of two (mask 6 in Table 4). The first mask was generated at $5.6 \AA$ resolution by averaging and skewing the $p$-cell into the $h$-cell. Such averaging, given 60 -fold redundancy, essentially cancels out all other particles that do not obey the local noncrystallographic symmetry in the $p$-cell with respect to a chosen particle center. This
density was then used to establish a mask employing a series of criteria (Table 4), including a $165 \AA$ radial limit to the particle size.* The most sensitive of these criteria was the absolute height of density (the density 'cutoff') in the $h$-cell that determined the best molecular envelope. This value was established by plotting the number of grid points (proportional to volume) within the molecular mask expressed as a percentage of the number of grid points within one asymmetric unit of the $p$-cell (Fig. 11). As the density cutoff decreased, the volume of the molecular mask increased roughly linearly. When the density cutoff had been reduced to below the mean smeared density encountered within the protein density, then the volume of the molecular mask increased precipitously. At that point the volume of the mask was about $45 \%$ of the volume of the $p$-cell asymmetric unit, consistent with expectation. On using the new mask, the correlation coefficients improved dramatically, particularly in the higher-resolution ranges. Table 4 shows that the percentage of grid points that had been wrongly assigned by using the spherical mask was only $2 \%$. On the other hand, the percentage of grid points that were solvent flattened was increased by about $30 \%$ in the unit cell when the molecular mask was used. Thus, the improvement of correlation coefficients was seen to be (once the structure had been solved) not due to the problem of interdigitating spikes, but due to the larger volume available for flattening.

Beyond $5.6 \AA$ resolution, starting from the time an accurate mask (mask 6 in Table 4) was employed, the observed structure-factor ( $F_{\text {obs }}$ ) data were supplemented with calculated structure factors ( $F_{\text {calc }}$ ). In addition, the geometric mean of Sim and exponential weights (Arnold \& Rossmann, 1986) were applied to the structure amplitudes in calculating new electron density maps. Phase extension then continued from

[^2]Table 4. Mask generation


Notes: (a) The initial spherical mask had tangent planes separating overlapped particles. (b) All grid points outside the external radius were assumed to be in solvent. Grid points inside the external radius and outside the internal radius were assumed to be solvent if the corresponding $h$-cell density was less than a selected value. Grid points inside the internal radius but outside the core radius were assumed to be in the nucleic acid region if the corresponding density in the $h$-cell was less than a certain value. All grid points inside the core radius were assumed to be in the nucleic acid region. (c) Grid points that were surrounded by at least four grid points that had been assigned to a specific molecular mask were assigned to that mask. (d) Grid points were added to the mask to give it icosahedral symmetry. This operation, together with (b) and (c), is described in more detail by Rossmann et al. (1992). (e) All percentages are given with respect to the total number of grid points in the asymmetric unit.


Fig. 10. Section $y=0$ showing the final averaged electron density superimposed onto the spherical mask and the molecular mask. Spherical masks with respect to different molecular centers are differentiated by various degrees of shading outside the molecular mask. The molecular mask has the lightest shading. Volumes outside both the spherical and molecular masks are left clear.


Fig. 11. The volume of the molecular mask, expressed as a percentage of the volume of the $p$-cell asymmetric unit, as determined by the density cutoff in the $h$-cell. When the modulus of the density cutoff is decreased to less than the mean smeared electron density within the protein, the mask volume increases rapidly. Intersection of the tangents suggests the most appropriate density cutoff value for mask generation.
5.6 to $3.4 \AA$ resolution without problems. The molecular envelope was redefined when the electron density map sampling became too coarse at $4.3 \AA$ resolution (mask 7 in Table 4) and again at $3.9 \AA$ resolution (mask 8 in Table 4). Linear interpolation to determine density at non-integral grid positions was used at all times. The number of cycles required before the mean correlation coefficient in the outermost current resolution range increased by less than 0.01 was about the same for intervals ranging from $\frac{1}{4}$ to $\frac{1}{2.4}$ of the resolution. It had previously been suggested that sampling using linear interpolation of $\frac{1}{6}$ of the resolution would be essential for successful phase extension (Bricogne, 1976). A total of 74 steps of phase extension were used between 12 and $3.4 \AA$ resolution (Fig. 7).

The number of points that had to be symmetrized after mask generation was fewer as phase extension progressed (see successive masks 6,7 and 8 in Table 4). Although the $h$-cell density, used for generating a new mask, was itself icosahedrally averaged, the $p$-cell mask symmetry is destroyed when there is conflict between neighboring particles as to the assignment of individual grid points. Thus, the number of grid points that needed to be eliminated reflects both a more accurate knowledge of the molecular envelope and the use of a higher density cutoff in mask generation.

## Map interpretation

It had been shown (see above), using the heavy-atom derivative data, that the Babinet opposite phase solution had been obtained. Therefore, all phases were systematically changed from $\alpha$ to $\pi+\alpha$ before calculating an electron density map at $3.4 \AA$ resolution. The polypeptide chain tracing of the $\mathrm{F}, \mathrm{J}$ and G proteins and their amino-acid identification was completed with ease on a 'mini-map' representation. An atomic model was built using an Evans \& Sutherland PS390 graphics system with respect to a $3.4 \AA$ resolution map, with the use of the program FRODO (Jones, 1978). The F protein forms a $T=1$ (Caspar \& Klug, 1962) capsid. All 175 amino acids of the G spike protein and the 426 amino acids, apart from the first and last two residues, of the F capsid protein were built into the electron density. The major folding motif of both proteins was an eight-stranded antiparallel $\beta$-barrel, found in many other icosahedral viruses (Rossmann \& Johnson, 1989). The F protein has two large inserted loops of 170 and 110 amino acids at the $\beta \mathrm{E}-\beta \mathrm{F}$ and $\beta \mathrm{H}-\beta \mathrm{I}$ turns, respectively [see McKenna et al. (1992) for the standard nomenclature of the secondary structural elements $\beta \mathrm{B}$ to $\beta \mathrm{I}]$. The small 37 amino-acid internal DNA packaging J protein has a high content of basic residues. Only the less-basic carboxy-terminal
residues $28-37$ were ordered. A typical piece of the high-quality electron density map and its interpretation is given in Fig. 12. After the polypeptide chain had been traced, it was found that the heavyatom binding sites were at chemically reasonable positions (Table 3). There is no compelling evidence in the electron density for the presence of the H protein. Nevertheless, there is mutational evidence (Ilag, Tuech, Beisner \& Incardona, 1992) that diffuse density observed on each of the fivefold axes in a cavity formed by the pentamers of G proteins may be part of the H protein. A fuller description of the structure is given by McKenna et al. (1992).
A difference electron density map was calculated between the partial diffraction data (Table 1) of the full 114S particles and the mostly empty 70 S particles, using the phases, $\alpha_{\text {combined }}$, based on the $3.4 \AA$ resolution determination. This shows regions where there is some partially ordered DNA structure. A total of 11 nucleotides per icosahedral asymmetric unit could be built into the difference electron density. An electron density map (McKenna et al., 1992) using ( $F_{114 \mathrm{~S}}-k F_{705}$ )e ${ }^{i \alpha_{\text {combmed }}}$, where $k=0.9$, showed the DNA density to have roughly the same height as the protein. Full substitution of DNA would be expected for $k=0.5$ (Chapman, Tsao \& Rossmann, 1992). Thus, only about one in five sites on the virus interior contains the icosahedrally ordered DNA structure. A large negative peak occurs in the difference map within the G protein pentamer channel. This density is liganded by the five symmetry-related Aspl17 residues, suggesting that a cation is bound here in the 70 S particles. Unrefined coordinates have been deposited with the Brookhaven Protein Data Bank.*

[^3]

Fig. 12. A piece of the J protein (residues $28-31$ ) in its electron density. The J protein is disordered prior to residue 28.

## Postmortem on the method of phase determination

The initial phases derived from a model of CpMV eventually led to a correctly phased $3.4 \AA$ electron density map of $\varphi \mathrm{X} 174$, although the initial mean correlation coefficient was only 0.056 at $12 \AA$ resolution, corresponding to an almost random set of phases (Fig. 13a; Table 5). An analysis (Valegård et al., 1990) of the early phase solutions was made by plotting (Fig. 13) the final 'true' phases, $\alpha$, against those derived for the three successive particle positions used in the initial stages of the phase determination (Table 5). Both the hand (phase change $\alpha$ to $-\alpha$ ) and Babinet inversion (phase change $\alpha$ to $\pi+\alpha$ ) changed as the particle position was refined within the unit cell. The phases show an initial, apparently random, starting set (Fig. 13a), which evolves into a Babinet opposite phase solution after 20 cycles of averaging at the first position (Table 5; Fig. $13 b$ ). After a further 20 cycles of averaging at the second particle position (Table 5) the phases
contained two competing solutions: the enantiomorph and the Babinet inversion of the enantiomorph (Fig. 13c). The third and final particle position caused the phases to change solution again and converge on the Babinet opposite phase set which led to the final structure solution (Fig. 13d). It would seem that various phase sets were competing with each other, of which one eventually became dominant. A similar example of differing phase solutions that competed with each other occurred in the initial attempt of a structure determination of MS2 using molecular replacement averaging (Valegård et al., 1990). These results suggest that it might be possible to initiate phasing from an entirely random phase set. Such experiments are in progress.

It is remarkable that on finding the correct particle position the phases changed to a unique solution other than the phase solutions found at the intermediate positions. This was possible perhaps primarily because of the availability of a nearly complete data set and the high noncrystallographic


Fig. 13. Phase comparison plots for data in the $15-12 \AA$ resolution range, comparing early phase determinations (Table 5) with final phases at cycle 360 . Contours represent the frequency of phase correspondence. (a) Initial phases to $12 \AA$ resolution derived from the CpMV model placed at position 1. (b) After 20 cycles of averaging at position 1 at $12 \AA$ resolution. (c) After another 20 cycles of averaging at position 2 and extension to $11 \AA$ resolution. (d) After a further 20 cycles of averaging at position 3 at $11 \AA$ resolution.

Table 5. Phase solutions at various particle positions in the resolution range 15-12 $\AA$


Notes: (a) Center used in determining phases for given cycle number. (b) Cycle number after which phases were compared with the final phase solution. (c) $\alpha$ are the final phases at $3.4 \AA$ resolution.
symmetry. Inclusion of an excessive number of $F_{\text {calc }}$ 's might have restrained the phases to the current mix of solutions. On the other hand, it is clear that when opposing structural solutions have been incorporated into the phasing set, then their convergence onto a single solution is probably impossible at higher resolution where there is less overall interaction between structure factors due to the decay of the roughly spherical $G$ function (Arnold, Vriend, Luo, Griffith, Kamer, Erickson, Johnson \& Rossmann, 1987). Even at low resolution it is often difficult to extract the correct solution from a mixture of solutions (Chapman et al., 1992). This could be to some extent alleviated by detailed information about the molecular envelope, which will have the effect of locally linking structure factors by variations in the decay of the $G$ function.

The structure determination succeeded even with the 'irrelevant' structural model of CpMV, possibly because significantly sized structure amplitudes were available to $12 \AA$ resolution while the EM model had essentially zero amplitudes beyond $25 \AA$ resolution. Nevertheless, it is of some interest whether the EM image of $\varphi \mathrm{X} 174$ could have led to a correct phase solution given the correct particle position. Phase extension was attempted using the correct position and this did eventually succeed (unpublished results). It can be concluded, therefore, that, given a correct particle position and an EM image, it is then possible to correctly initiate a high-resolution structure determination given fairly complete and accurate structure amplitudes with sufficient noncrystallographic redundancy. Hence, assuming the availability of reasonably good very-low-resolution data, the most critical component in obtaining a phasing start is to determine an accurate particle position.

We greatly appreciate Nino Incardona introducing us to this fascinating virus, S. Krishnaswamy's initial work on the structure determination and many useful discussions with Thomas J. Smith concerning purification and crystallization. We thank Norman Olson and Tim Baker for their electron microscopy reconstruction work of $\varphi \mathrm{X} 174$. We also thank the many helpers in data-collection trips (including

Mavis Agbandje, Jodi Bibler, Michael Chapman, Hok-Kin Choi, Vincent Giranda, Andrea Hadfield, Walter Keller, Marcos Oliveira, Andrew Prongay, Thomas Smith, Liang Tong and Hao Wu) and the outstanding support at the various synchrotron facilities that we have visited (NSLS, CHESS, Daresbury and DESY). We thank Helene Prongay and Sharon Wilder for help in the preparation of the manuscript. The work was supported by a National Science Foundation grant and a Lucille P. Markey Charitable Trust grant for the development of structural studies at Purdue to MGR and fellowship Wi873/1-1 from the Deutsche Forschungsgemeinschaft to PW.

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# A Note on the Conformational Flexibility of the Antiestrogenic Drug Tamoxifen: Preferred Conformations in the Free State and Bound to the Protein Calmodulin 

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(Received 13 May 1991; accepted 13 December 1991)


#### Abstract

The conformational properties of the antiestrogenic drug tamoxifen, a triphenylbut-1-ene derivative, have been studied using molecular mechanics. Four distinct conformers have been identified, and the energy barriers between them have been established. The orientation of the ethyl group substitutent has been examined in particular, since the lowest-energy conformers have this group orientated $180^{\circ}$ away from its position in the crystal structures of tamoxifen and its derivatives. These differences have implications for the interactions of tamoxifen with the calciumbinding protein calmodulin; relevant results from a molecular-modelling study of this protein-drug complex are presented.

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0108-7681/92/040511-04\$06.00

## Introduction

The trans-triphenylbut-1-ene compound tamoxifen (Fig. 1) has established clinically useful anticancer activity (Jordan, Fritz \& Gottardis, 1987) with its binding to the estrogen receptor believed responsible for its action against hormone-positive human breast cancer. There is, however, increasing evidence that the drug acts on other macromolecular targets as well. In the course of molecular-modelling studies in this laboratory on structure-activity relationships of tamoxifen and its derivatives and their interactions with non-estrogenic receptors, especially the calciumbinding protein calmodulin (Rowlands, Parr, McCague, Jarman \& Goddard, 1990), it has become necessary to establish the conformational flexibility and energetics of tamoxifen itself. Several crystallographic studies in the tamoxifen series have been

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[^2]:    * With hindsight, $165 \AA$ was an insufficient radial cutoff value. When interpreting the $3.5 \AA$ minimap, it was seen that amino acids $45-50$ of the $\beta \mathrm{B}-\beta \mathrm{C}$ corner of the G protein had been solvent flattened. On the regeneration of a new mask at $3.4 \AA$ resolution (mask 9 in Table 4 ), using a $175 \AA$ radius cutoff, the density for these amino acids was recovered after four cycles of averaging.

[^3]:    * Atomic coordinates have been deposited with the Protein Data Bank, Brookhaven National Laboratory (Reference: 1BPA), and are available in machine-readable form from the Protein Data Bank at Brookhaven. The data have also been deposited with the British Library Document Supply Centre as Supplementary Publication No. SUP 37061 (as microfiche). Free copies may be obtained through The Technical Editor, International Union of Crystallography, 5 Abbey Square, Chester CHl 2HU, England.

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